

7-1 Polynomial Functions

Objective: Evaluate polynomial functions.
ID general shapes and graphs of polynomial functions.

P.346

Polynomial Expression	Degree	Leading Coefficient
Constant	0	9
Linear	1	1
Quadratic	2	3
Cubic	3	4
General	n	a_0

* Polynomial in one variable

↑
Greatest exponent
of its variable↑
Coefficient of term
w/ highest degree

I. Find degree, leading coefficient, & if polynomial in one variable.

Ex1) $7z^3 - 4z^2 + z$

degree: 3
LC.: 7
yes-polynomial in one variable

Ex2) $6a^3 - 4a^2 + ab^2$ *Not a polynomial in one variable
since we have "a" and "b"*

Ex3) $3c^2 + 4c - \frac{2}{c}$ *Not a polynomial since "c" is in
the denominator.*

Ex4) $9y - 3y^2 + y^4$ *D: 4 $y^4 - 3y^2 + 9y$
LC: 1 Yes, a polynomial in one variable.*

II. Evaluate a Polynomial

 $y =$ Ex5) $f(r) = 2r^2 - 3r + 1$, Find $f(4)$ and $f(6)$

$$f(4) = 2(4)^2 - 3(4) + 1$$

$$f(4) = 32 - 12 + 1$$

$$\boxed{f(4) = 21}$$

$$f(6) = 2(6)^2 - 3(6) + 1$$

$$f(6) = 72 - 18 + 1$$

$$f(6) = 54 + 1$$

$$\boxed{f(6) = 55}$$

Ex6) $p(x) = 2x^4 - x^3 + 3x$. Find $p(y^3)$

$$\begin{aligned} p(y^3) &= 2(y^3)^4 - (y^3)^3 + 3(y^3) \\ p(y^3) &= \boxed{2y^{12} - y^9 + 3y^3} \end{aligned}$$

$$(2x-1)(2x-1) = \boxed{4x^2 - 4x + 1}$$

Ex7) $b(m) = 2m^2 + m + 1$ Find $b(2x-1) - 3b(x)$

$$\begin{aligned} b(2x-1) - 3b(x) &= 2(2x-1)^2 + (2x-1) + 1 - 3(2x^2 + x + 1) \\ 2(4x^2 - 4x + 1) + 2x - 1 - 6x^2 - 3x - 3 &= \\ 8x^2 - 8x + 2 + 2x - 6x^2 - 3x - 3 &= \\ \cancel{8x^2} - \cancel{8x} + \cancel{2} + \cancel{2x} - \cancel{6x^2} - \cancel{3x} - \cancel{3} &= \\ = \boxed{2x^2 - 9x - 1} & \end{aligned}$$

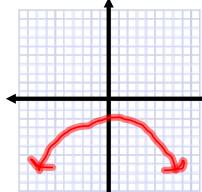
III. Graphs of Polynomial Functions

** Pg. 348 Chart - Discuss looks of Graph

** Pg. 349 Chart - Discuss end behavior

Ex8) For each Describe: 1. End Behavior 2. Odd/even degree #. # of real zeros

A)

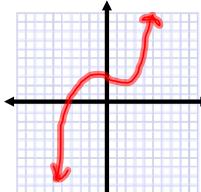


1. $x \rightarrow \infty, f(x) \rightarrow -\infty$
 $x \rightarrow -\infty, f(x) \rightarrow -\infty$

2. Even-ends go in same direction.

3. None
 (Where graph crosses x-axis.)

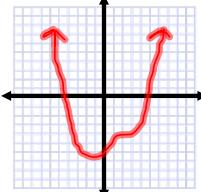
B)



1. $x \rightarrow \infty, f(x) \rightarrow \infty$
 $x \rightarrow -\infty, f(x) \rightarrow -\infty$

2. Odd-ends of graph go in opposite directions

C)



1. $x \rightarrow \infty, f(x) \rightarrow \infty$
 $x \rightarrow -\infty, f(x) \rightarrow \infty$

2. Even degree-ends going in same direction.
 3. 3