

## Scale factors with the following will result in a dilation: <br> If $|r|>1$, expansion (enlargement) <br> 

If $|r|<1$, contraction (reduction)


If $|r|=1$, congruence
transformation (no size change)

## Similarity Transformation:

* Dilations will preserve: angle measure, betweenness, and collinearity.
* Distance is not preserved.
* Produce figures that look similar.


If a dilation with center C and a scale factor $r$ transforms $A$ to $E$ and $B$ to $D$, then $E D=|r|(A B)$.


The distance of segment ED is the distance of segment AB times r (the scale factor).

Ex 1) Find the measure of the dilation image or pre-image of CD using the given scale factor:
a) $C D=15, r=3$

$c^{\prime} b^{\prime}=131 \cdot 15=45$
b) $C^{\prime} D^{\prime}=7, r=-2 / 3$

## If $r>0, P^{\prime}$ will be on the ray $C P$ and $C P^{\prime}=r(C P)$. <br> $e x: r=2$

If $r<0$, $\mathrm{P}^{\prime}$ lies on ray $\mathrm{CP}^{\prime}$, the ray opposite ray CP , and $\mathrm{CP}^{\prime}=|r|(\mathrm{CP})$. (This means it will go to the opposite side of the center point.)


Ex 2) Draw the dilation image of trapezoid PQRS with center $C$ and $r=-3$.


Ex 3) Determine the scale factor used for the dilation with center C. Determine whether the dilation is an enlargement, reduction, or congruence transformation.
$L^{\prime} m^{\prime}=|r| L M$


Ex 4) Trapezoid EFGH has vertices $\mathrm{E}(-8,4), \mathrm{F}(-4,8), \mathrm{G}(8,4)$ and $\mathrm{H}(-4,-8)$. Find the image of trapezoid EFGH after a dilation centered at the origin with a scale factor of $1 / 4$. Sketch the pereimage and the image.


## Homework: skip 33-35

